



# LT Separation Experiments in Hall C

Presented by Nathan Heinrich

Representing the Pion-LT and Kaon-LT Collaborations

2023 Winter Meeting



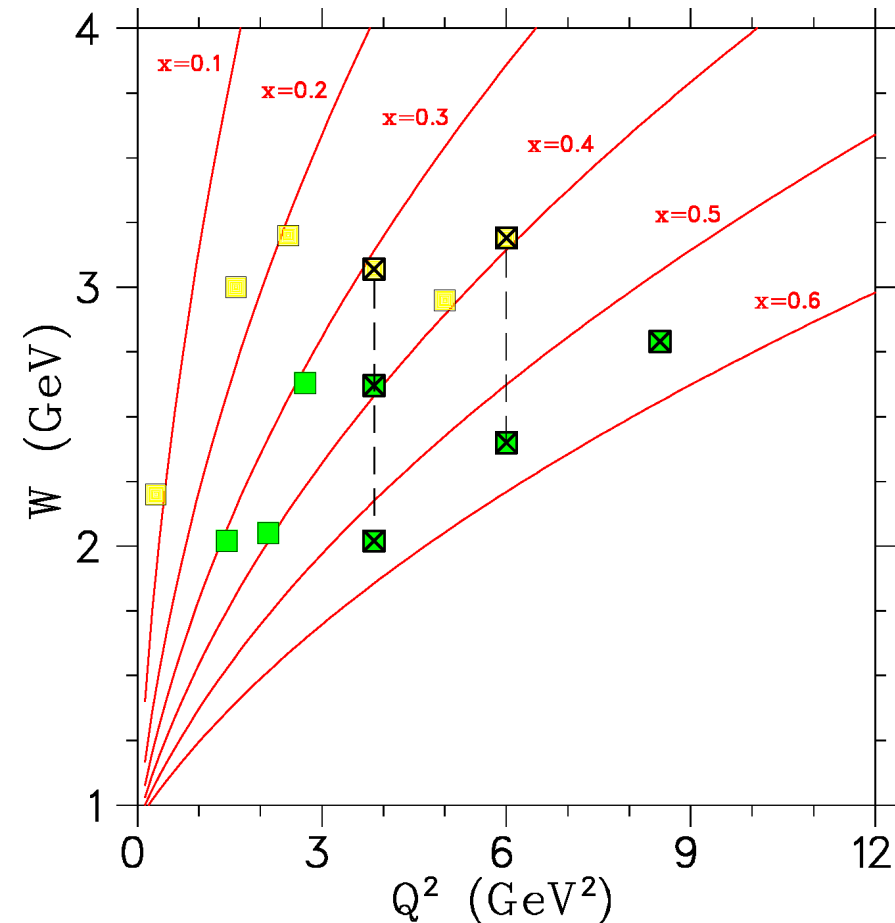


# Outline

- Talk covers both PionLT and KaonLT experiments
- Will give updates on progress
- PionLT Finished taking data
- KaonLT is beginning to do the first LT separations

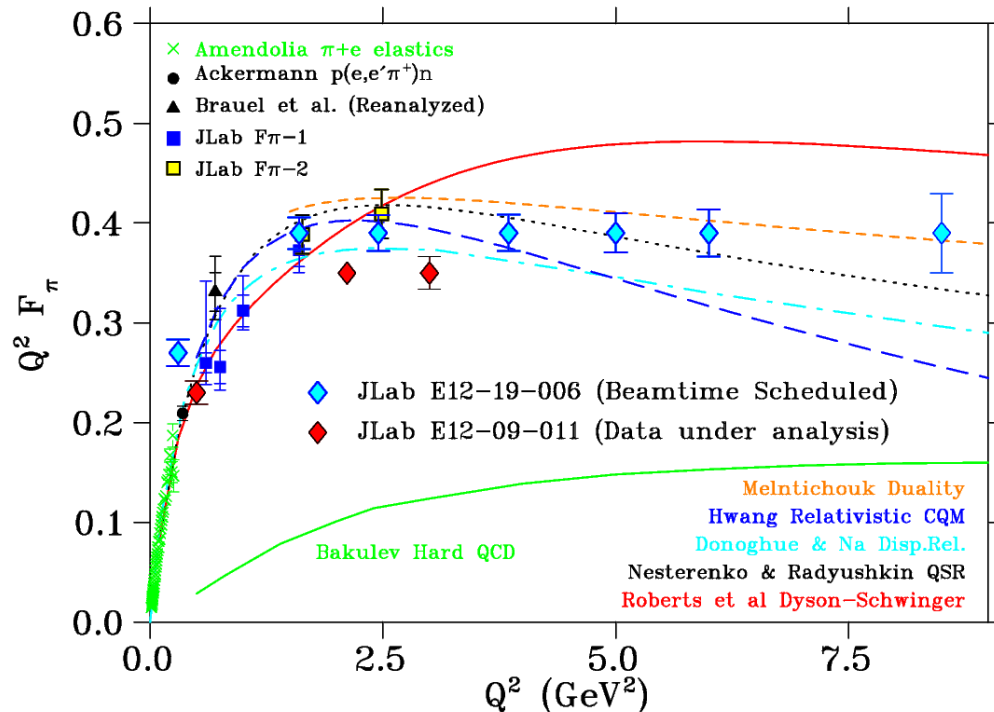
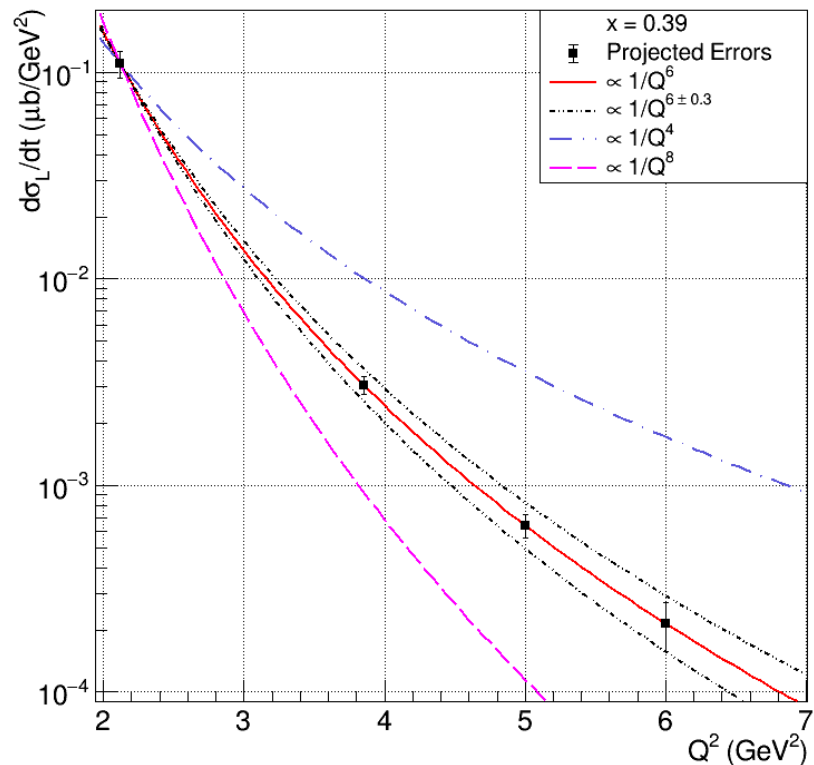
# Pion-LT

- Finished taking data in the fall
- Just beginning Process of data analysis
- Got all of our requested data
  - Thanks to all of the Hall C and Accelerator staff as well as the shift workers and run coordinators that made it possible!



# Projected Data

- With the data in hand updated error estimates can be done.
- Encouragingly the relative error of most points has increased by <1%
- With exception of the  $Q^2 = 8.5 \text{ GeV}^2$  and  $Q^2 = 6 \text{ GeV}^2 \pi^-$  point.
  - These increase by 4% and 7% when compared to the PAC Proposal



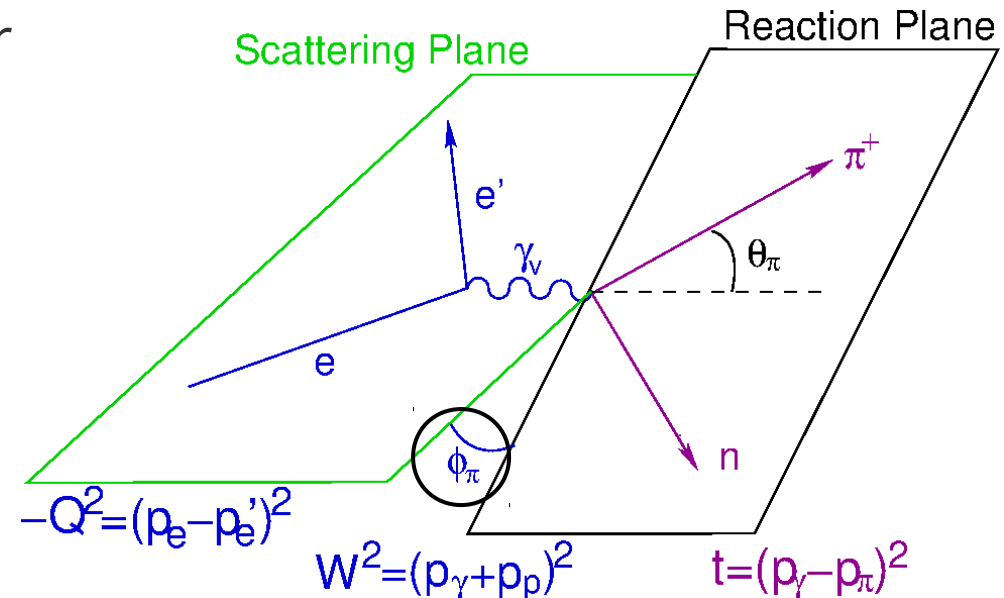
# Rosenbluth Separation

$$2\pi \frac{d\sigma}{dtd\phi} = \varepsilon \frac{d\sigma_L}{dt} + \frac{d\sigma_T}{dt} + \sqrt{2\varepsilon(\varepsilon+1)} \frac{d\sigma_{LT}}{dt} \cos\phi + \varepsilon \frac{d\sigma_{TT}}{dt} \cos 2\phi$$

- LT experiments seek to separate the total cross sections into the components of the photon polarization.
- To do this need to have full  $\phi$  coverage at 2 values of  $\varepsilon$  while keeping other kinematics ( $Q^2$ ,  $W$ ,  $t$ ) fixed.

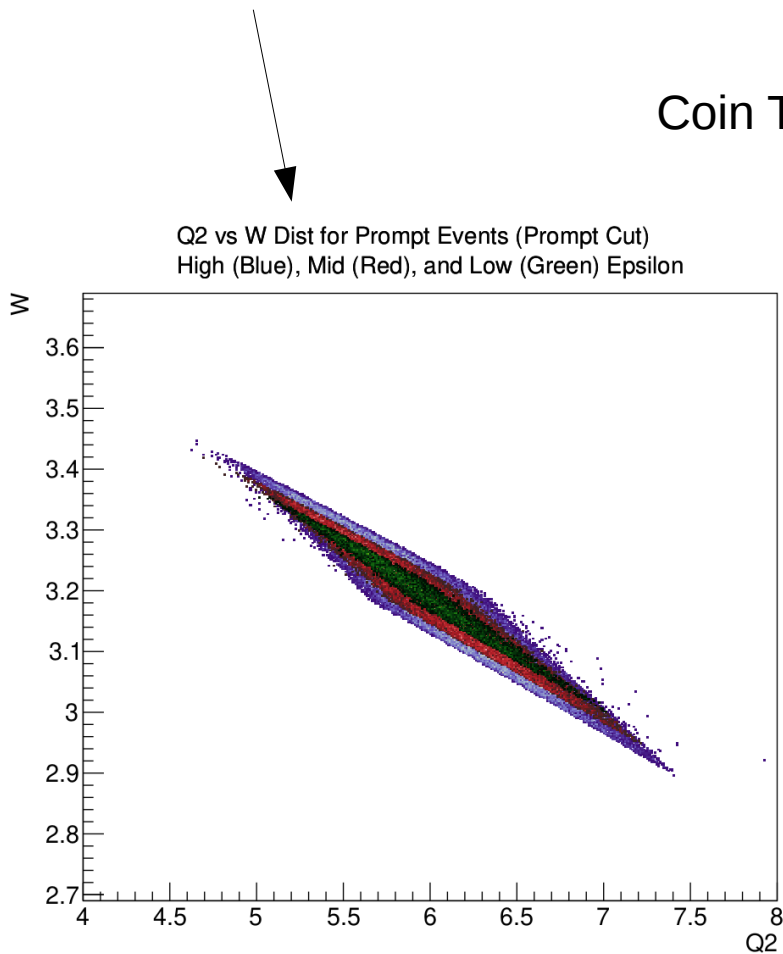
Virtual-photon polarization:

$$\varepsilon = \left( 1 + 2 \frac{(E_e - E_{e'})^2 + Q^2}{Q^2} \tan^2 \frac{\theta_{e'}}{2} \right)^{-1}$$



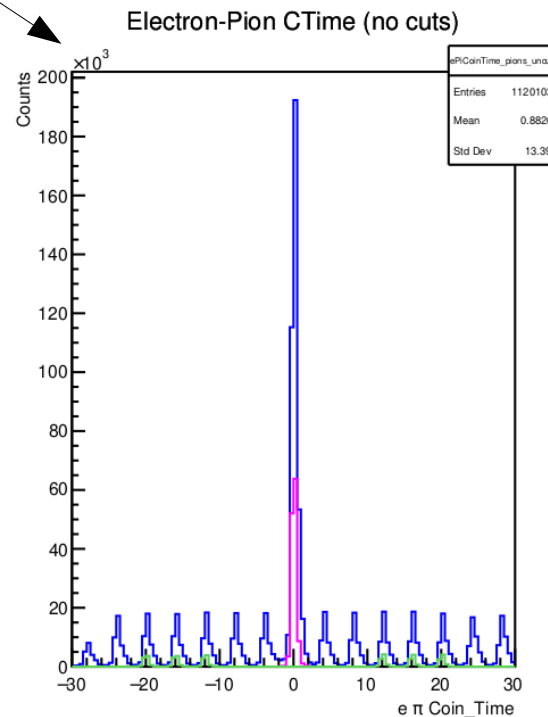
# Data Quality Checks

- During the experiment plots were made to monitor data quality
- Will be used to gauge the quality of any improvements to the analysis
- Diamond Plot to show  $Q^2$  and  $W$  overlap for all  $\epsilon$  values of a setting.

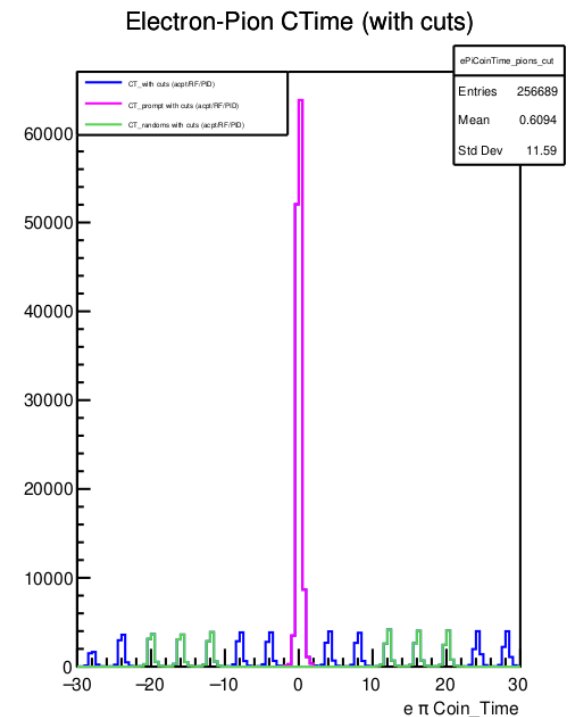


$Q^2 = 6.0 \text{ GeV}^2$   $W = 3.19 \text{ GeV}$

Coin Time plots allow prompt selection and random subtraction



$Q^2 = 2.45$   $W = 3.2$  center high  $\epsilon$

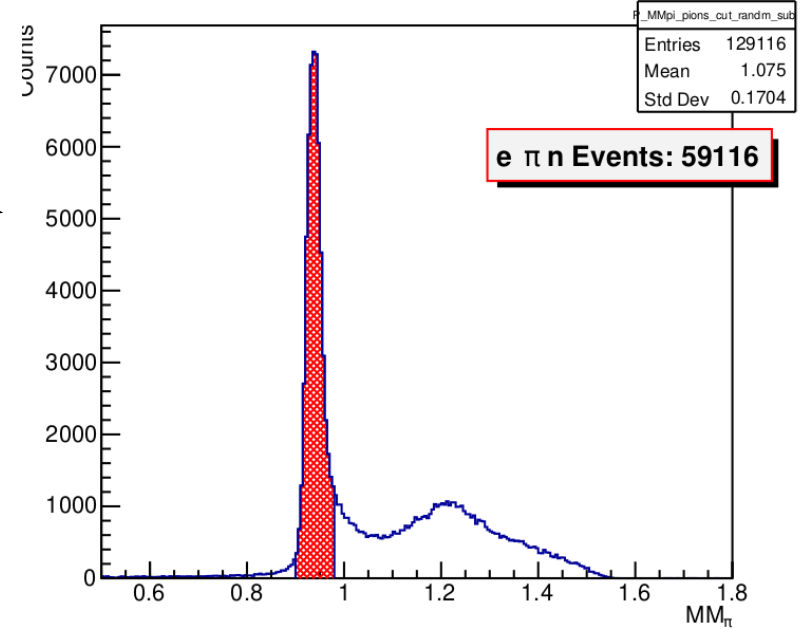


6 / 19

# Online Plots Continued

Missing mass plots verify that the reaction is  $p(e^-, \pi^+ e^-)n$

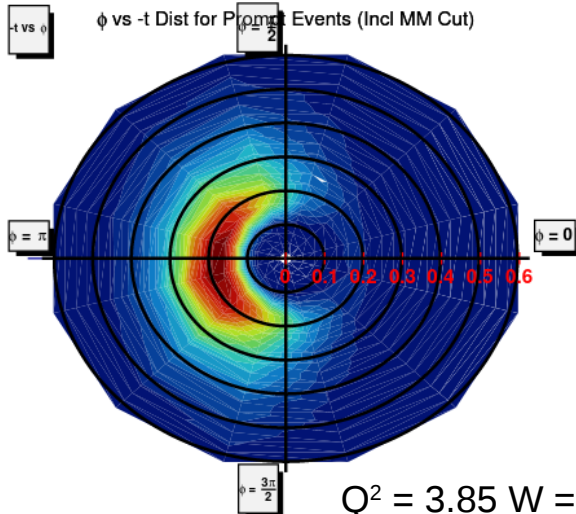
Missing Mass Rndm Sub



$Q^2 = 2.45$   $W = 3.2$  center high  $\epsilon$

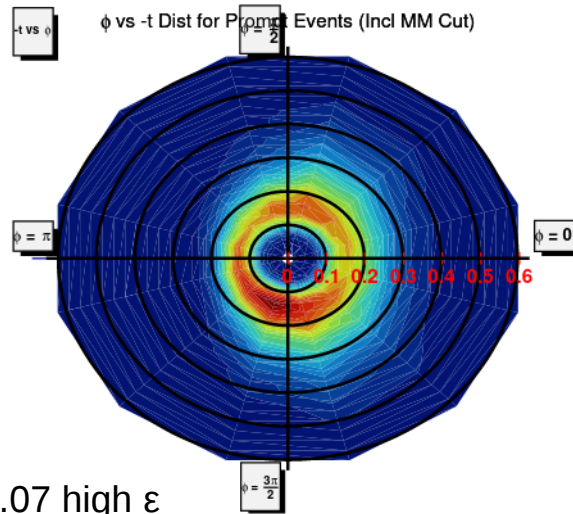
$-t - \phi$  plots allow for verification of full  $\phi$  coverage at fixed value of  $t$ .

SHMS Left

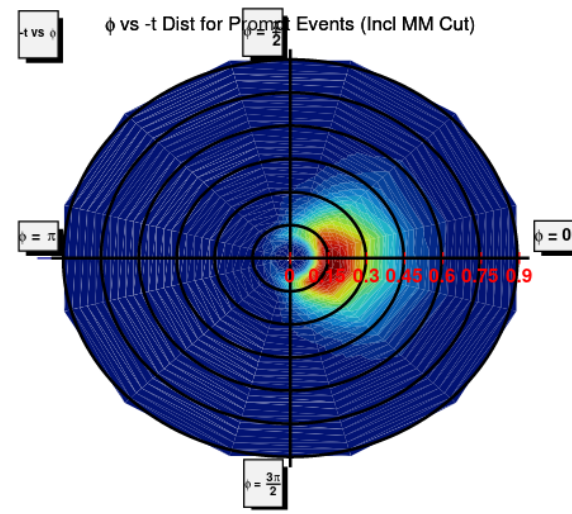


$Q^2 = 3.85$   $W = 3.07$  high  $\epsilon$

SHMS Center



SHMS Right



# First Steps of PionLT Analysis

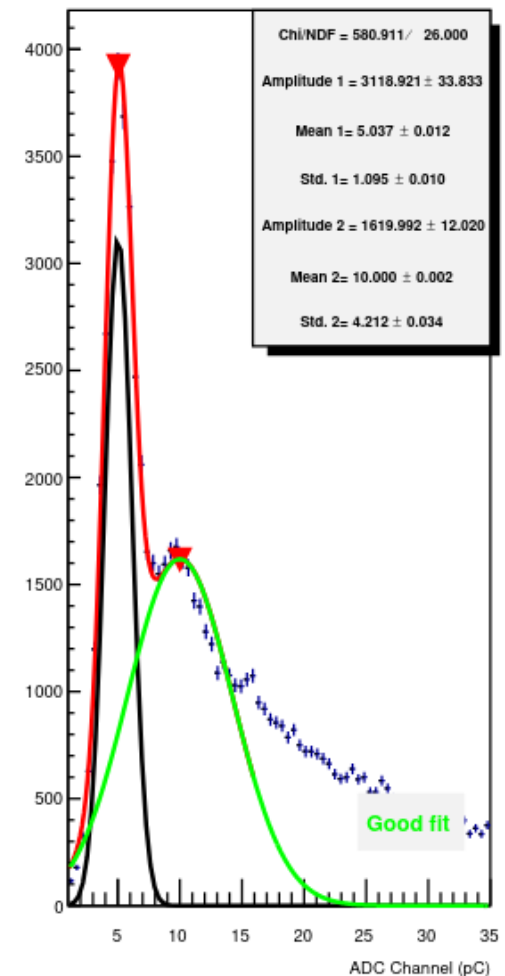
- Detector calibration is underway
- Analysis of Magnetic Optics from our data has begun:
  - See Jacob Murphy's talk Tomorrow at 10 am
- This experiment took a wide range of Luminosity and Heep data.
  - If others are interested please contact the spokespersons!

Garth Huber: [huberg@uregina.ca](mailto:huberg@uregina.ca),

Tanja Horn: [hornt@cua.edu](mailto:hornt@cua.edu),

Dave Gaskell: [gaskelld@jlab.org](mailto:gaskelld@jlab.org)

Pulse Integral PMT1 quad4

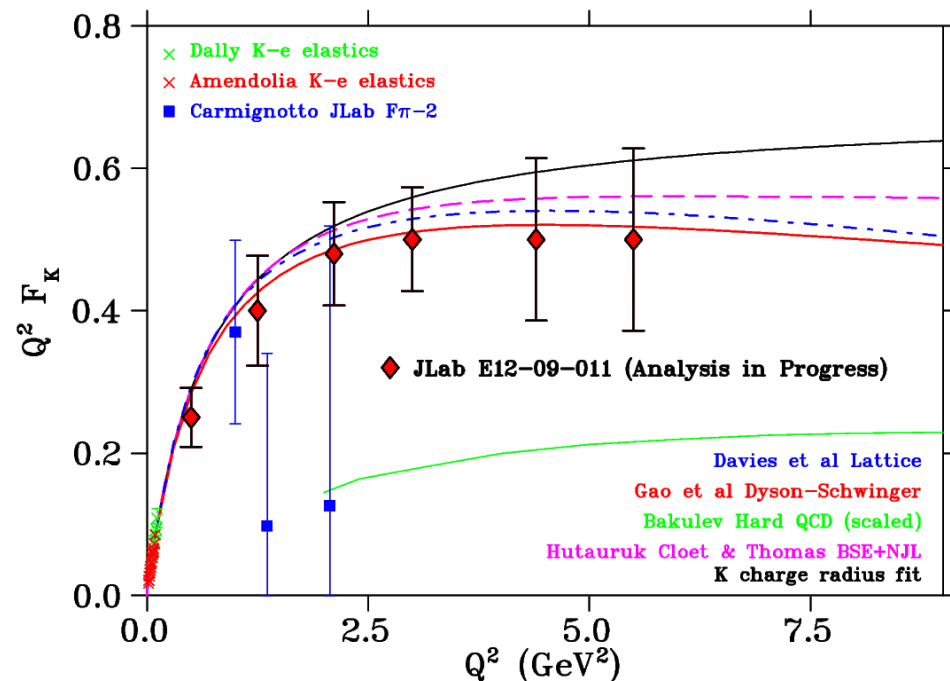
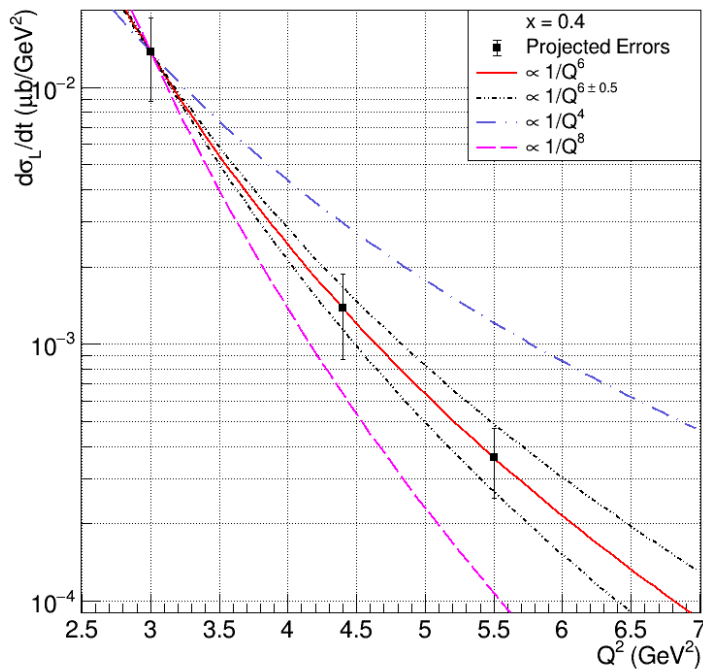


Example HGC Calibration Plot



# Kaon-LT

- This experiment finished running in spring 2019
- Been hard at work analyzing the data ever since.
- Finalizing all the efficiencies
- Commissioning experiment, learned a lot about the SHMS
- Beginning cross-section extraction



# Challenges of KaonLT Commissioning Experiment

## Tracking

- Tracking algorithm was initially insufficient for the high precision hadron tracking required
- Detailed Track Parameter Optimization and Rate Dependence Study done by Ali Usman with help from Peter Bosted and Mark Jones an improved algorithm was implemented (Commissioning meeting [2021/04/01](#), [2021/05/18](#))

EDTM Live Time Correction:

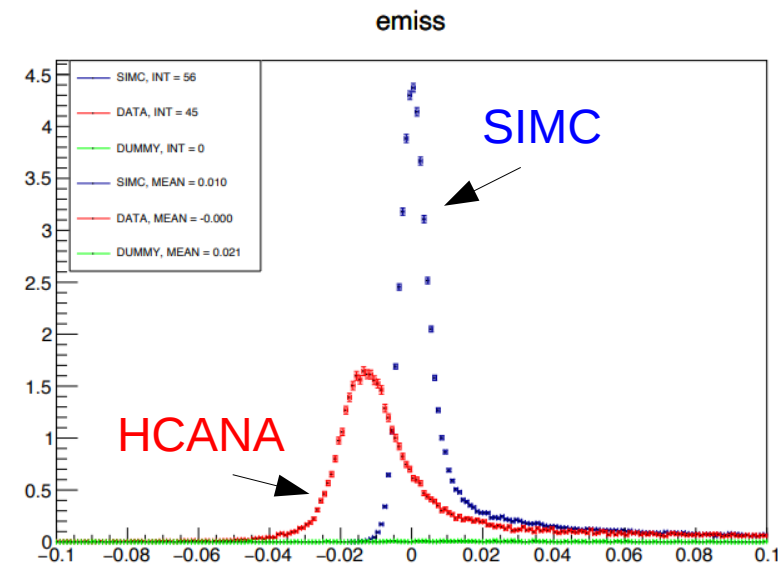
$$TLT\# = \frac{EDTM_{acc}^\#}{C\# * EDTM_{sent}}$$

## EDTM and Prescaling

- EDTM calculation is made complex when prescaling is involved
- Further EDTM data taken during PionLT helped develop a rigorous formula for the EDTM calculation
- See Jacob Murphy and Richard Trotta's talks at the [Hall C Quarterly Analysis Meeting](#)

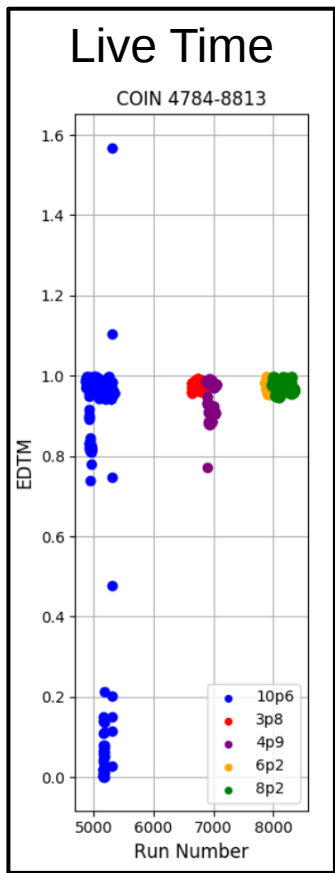
## HCANA vs SIMC calculations

- Discrepancies in the calculations used in HCANA vs those used SIMC resulted in differing distribution for high level physics variables
- Changes to SIMC calculations are being implemented so this shouldn't be an issue for future groups
- Should be topic of future Analysis Meeting.



# Finalizing Yields

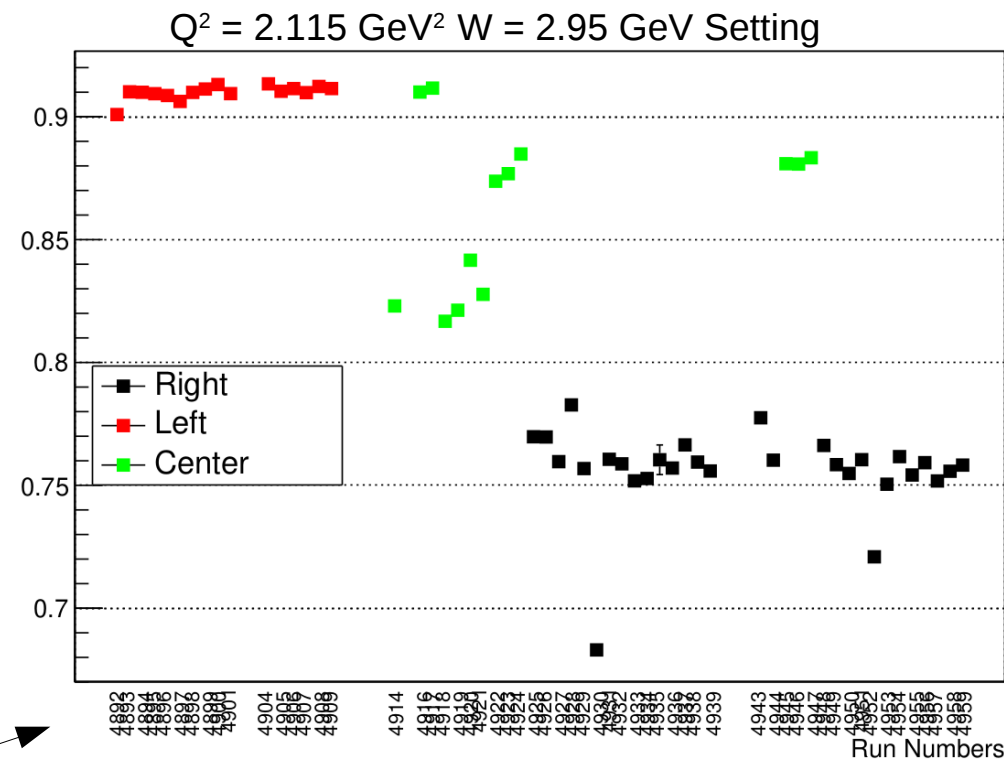
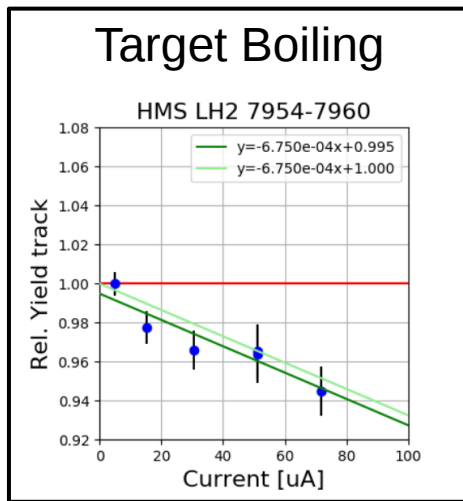
To Finalize Yields must finalize all Efficiencies:  
This is nearly finished for Kaon-LT



Tracking Efficiency

Detector Efficiencies

Total Efficiency

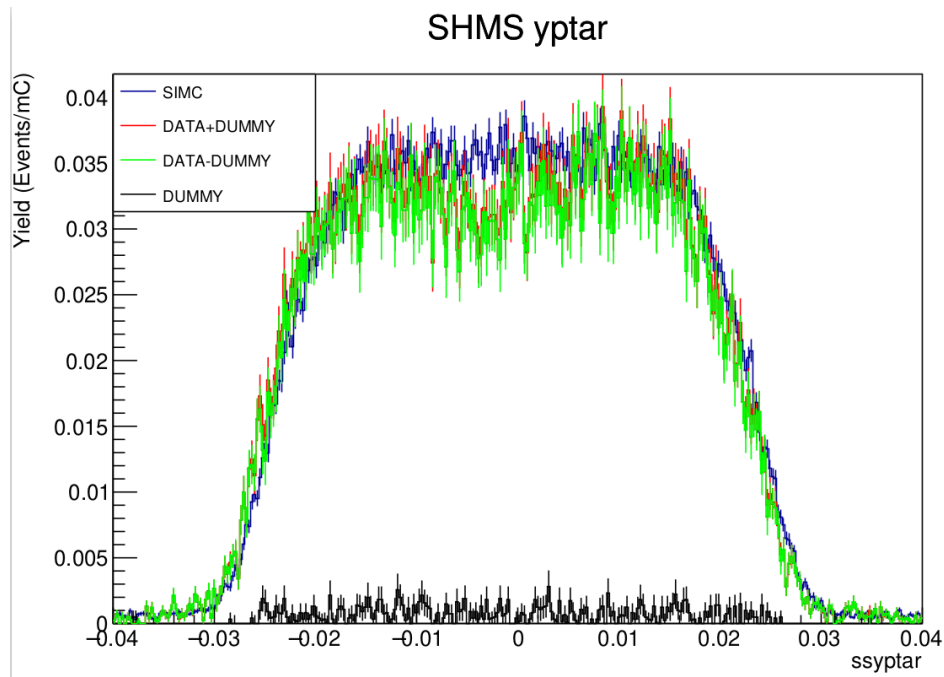


# LT Separations – Progress Report

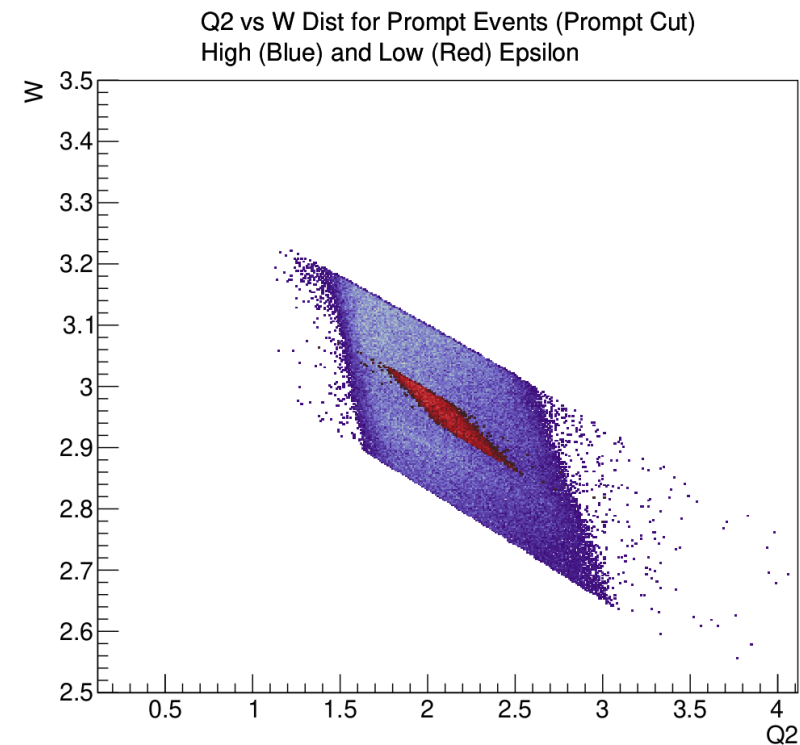
- **Step 0.1** – finalize all efficiencies\yields for all settings.

Any changes to the yield after beginning the process will require restarting all over again.

- **Step 0.2** – pick t bins
- **Step 1** – pick functional form of cross section parameterization and compare simc fit to data



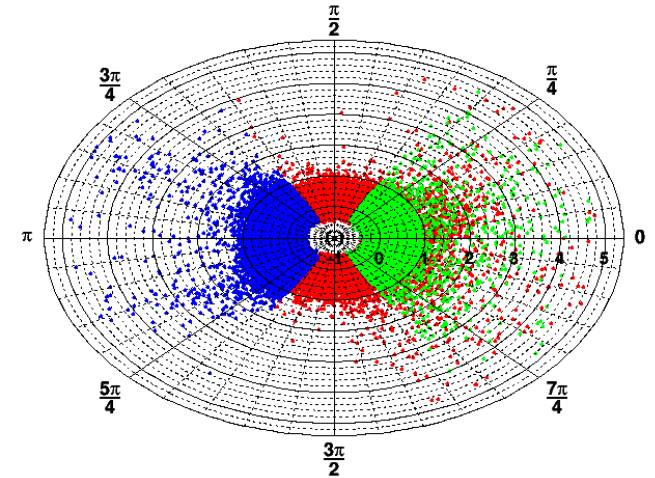
$Q^2 = 0.5 \text{ GeV}^2$ ,  $W = 2.40 \text{ GeV}$ , low  $\epsilon$ , center



$Q^2 = 2.115 \text{ GeV}^2$   $W = 2.95 \text{ GeV}$  Setting 12 / 19

# Step 2 - Combine SHMS Settings

- Add together Left, Center, Right SHMS settings at high and low  $\varepsilon$ , for each  $(W, Q^2, t, \varphi, \varepsilon)$  bin for both both Data and Monte Carlo (MC)
- Obtain Yields for both Data and MC, for each  $(W, Q^2, t, \varphi, \varepsilon)$  bin

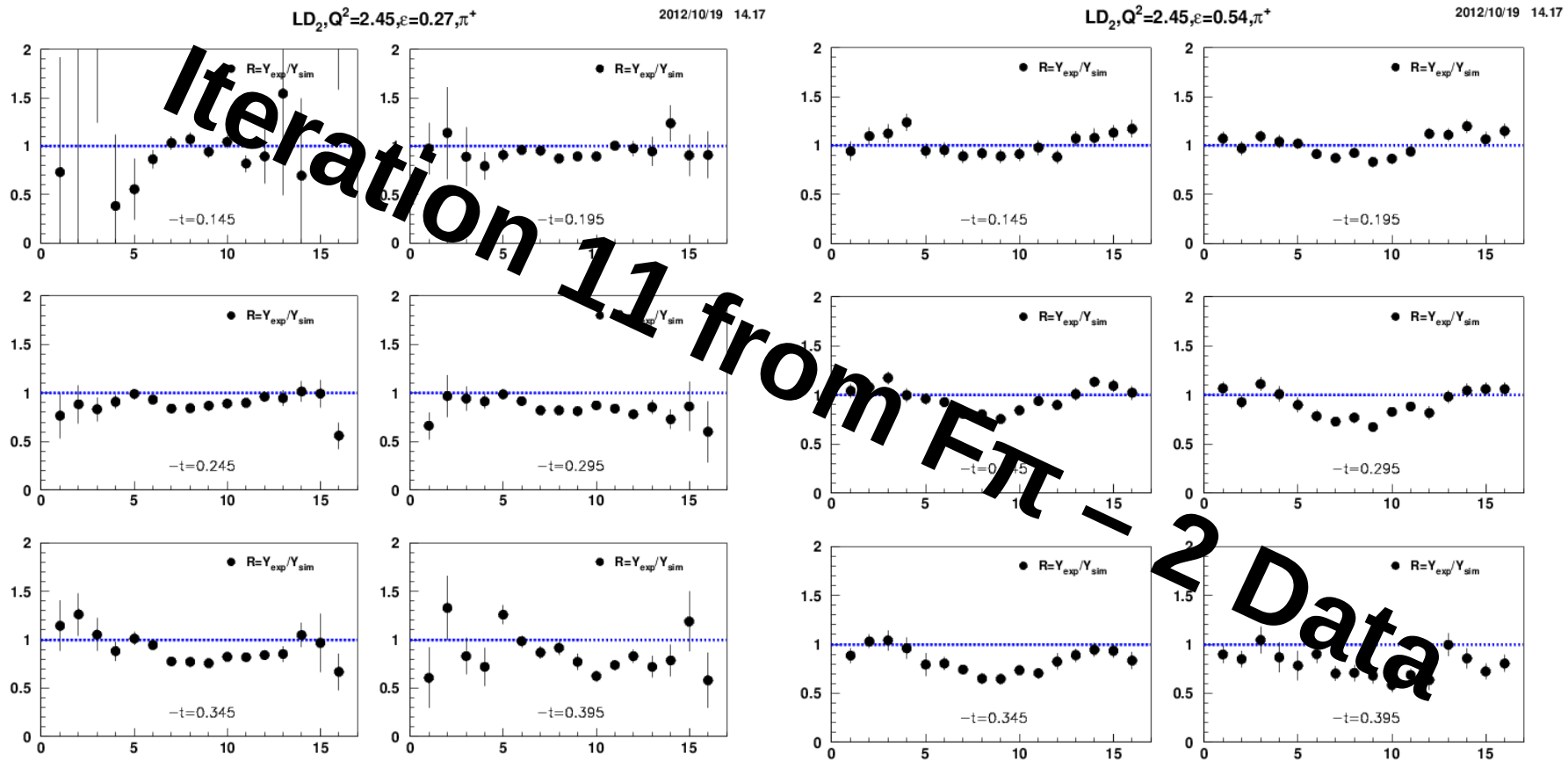


# Step 3 - Calculate average kinematics

- Find the mean values of  $W$ ,  $Q^2$ ,  $\theta$ , and  $\varepsilon$  for each  $t$  bin.
- Average of high and low  $\varepsilon$  is used, as they will differ slightly

# Step 4 – Carefully inspect the Data/SIMC Ratios

- Ratio of Data to MC Yield ( $R=Y_{\text{exp}}/Y_{\text{MC}}$ ) should be  $R\sim 1$  over a broad range of kinematics.



# Step 5 – Calculate unseparated Cross-sections

- Using the parameterization, evaluate cross-section at average value of kinematic.
- This procedure comes from Blok et al, PRC 78 (2008) 045202

were fitted. For all five  $t$  bins at every (central)  $Q^2$  setting,  $\phi$ -dependent cross sections were determined at both high and low  $\epsilon$  for chosen values of  $\bar{W}$ ,  $\bar{Q}^2$  (and corresponding values of  $\theta_\pi$  and  $\epsilon$ ) according to

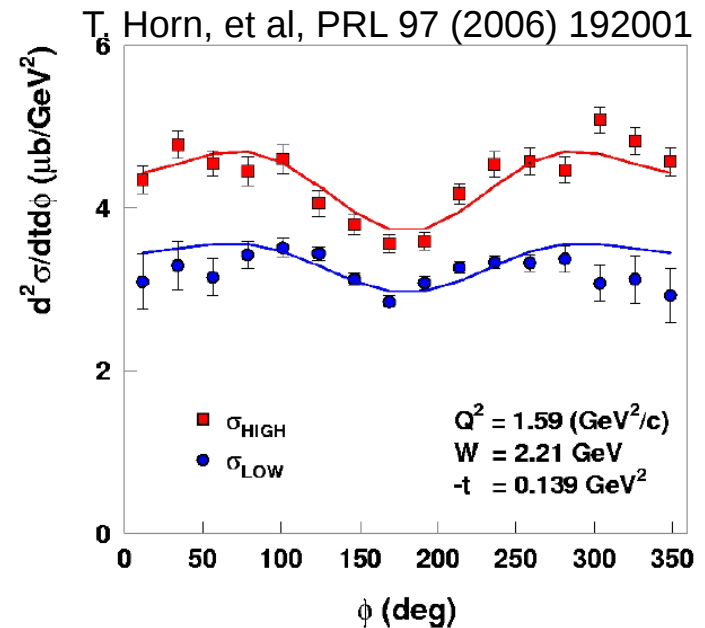
$$\sigma_{\text{exp}}(\bar{W}, \bar{Q}^2, t, \phi; \bar{\theta}, \bar{\epsilon}) = \frac{\langle Y_{\text{exp}} \rangle}{\langle Y_{\text{sim}} \rangle} \sigma_{\text{MC}}(\bar{W}, \bar{Q}^2, t, \phi; \bar{\theta}, \bar{\epsilon}). \quad (14)$$

The fitting procedure was iterated until  $\sigma_{\text{exp}}$  changed by less than a prescribed amount (typically 1%). A representative

# Step 6 – fit Rosenbluth Equation

$$2\pi \frac{d\sigma}{dtd\phi} = \varepsilon \frac{d\sigma_L}{dt} + \frac{d\sigma_T}{dt} + \sqrt{2\varepsilon(\varepsilon + 1)} \frac{d\sigma_{LT}}{dt} \cos\phi + \varepsilon \frac{d\sigma_{TT}}{dt} \cos 2\phi$$

- Each t-bin is fit separately
- Fit result gives L, T, LT, TT cross sections for each t bin



# Step 7 – Iterate Cross section Model

- Update the model and return to step 1
- Repeat until model is self consistent

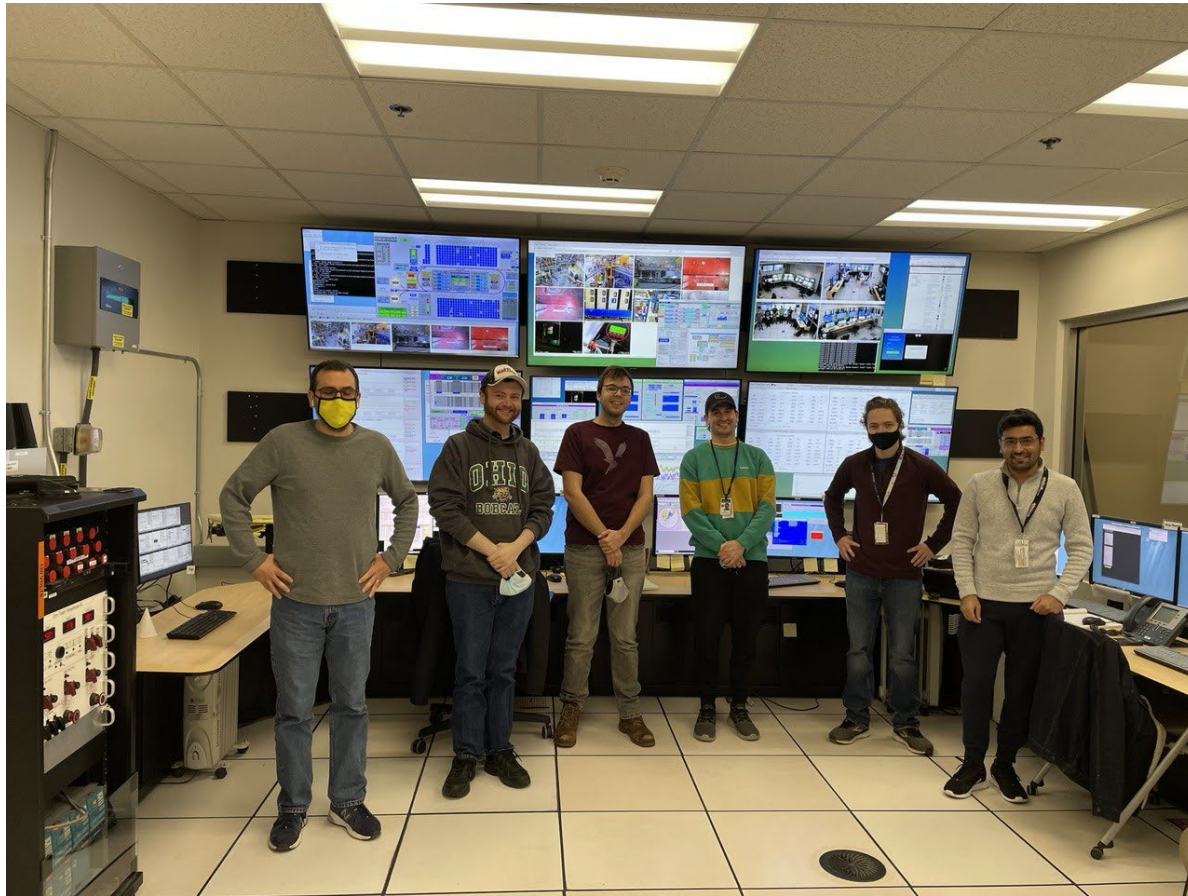




# Outlook

- Pion-LT just finished taking data
  - Progress is being made on Analysis
- Kaon-LT Is beginning Cross-section extraction
  - Expect publishable results before the end of this year!

# Thank You

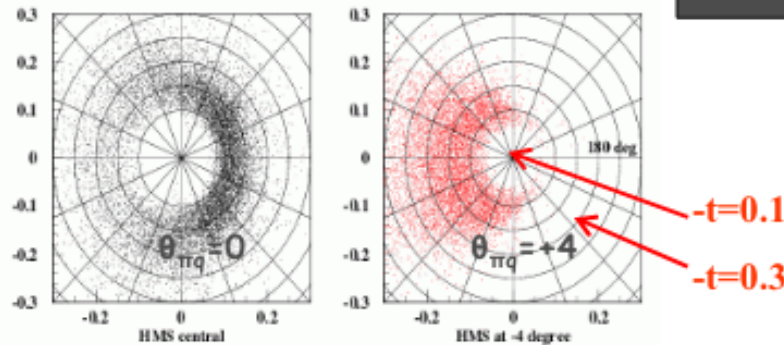


## Thanks To All Our Collaborators

# Iteration procedure summary

Improve  $\phi$  coverage by taking data at multiple  $\pi$  (HMS) angles,  $-4^\circ < \theta_{\pi q} < 4^\circ$ .

-t vs Phi (polar)



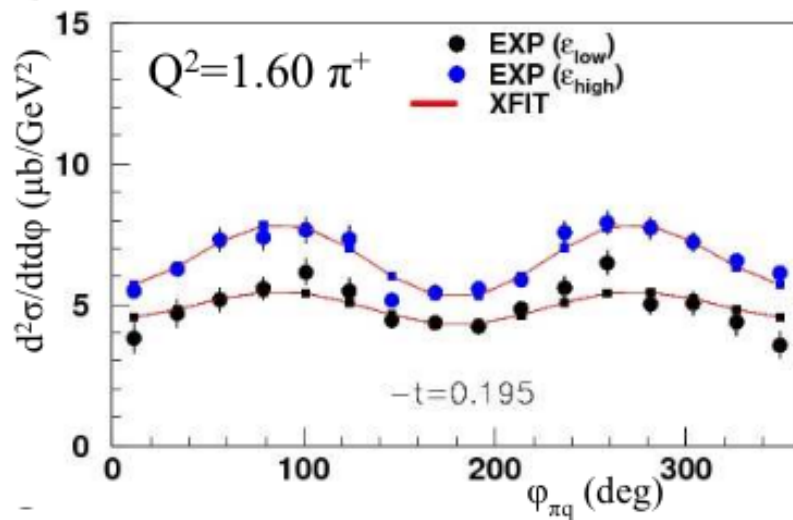
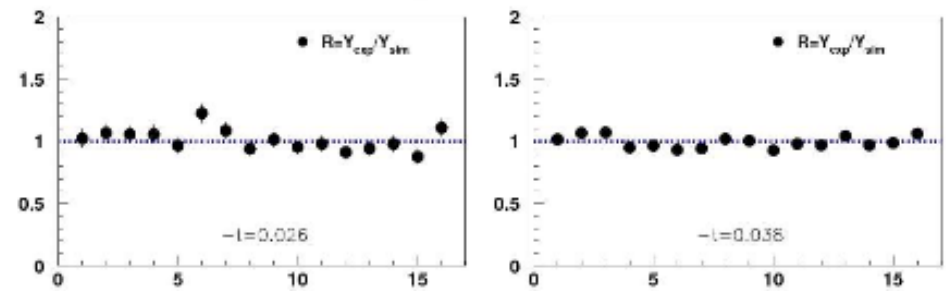
For each  $\pi$  HMS setting, form ratio:

$$R = \frac{Y_{EXP}}{Y_{SIMC}}$$

Combine ratios for  $\pi$  settings together, propagating errors accordingly.

$LD_2, Q^2=0.6, \epsilon=0.74, \pi^+$

2012/05/22



Extract via simultaneous fit of L,T,LT,TT

$$\frac{d^2\sigma}{dt d\phi}_{EXP} = \left( \frac{Y_{EXP}}{Y_{SIMC}} \right) \frac{d^2\sigma}{dt d\phi}_{SIMC}$$

$$2\pi \frac{d\sigma}{dt d\phi} = \epsilon \frac{d\sigma_L}{dt} + \frac{d\sigma_T}{dt} + \sqrt{2\epsilon(\epsilon+1)} \frac{d\sigma_{LT}}{dt} \cos\phi + \epsilon \frac{d\sigma_{TT}}{dt} \cos 2\phi$$