

Opportunities for Deep Exclusive Meson Production with Higher Energy JLab beam



University
of Regina

Garth Huber

JLab 20+ Discussion
May 17, 2022

Supported by:

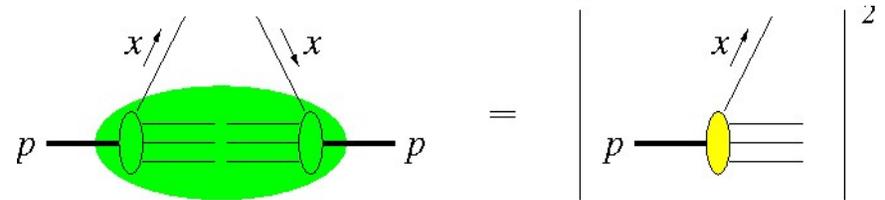


NSERC
CRSNG

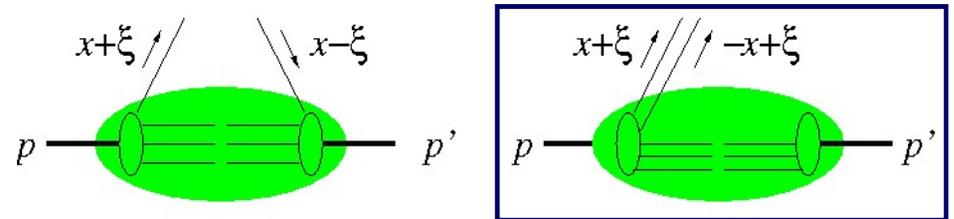
SAPIN-2021-00026

GPDs in Deep Exclusive Meson Production

PDFs : probability of finding a parton with longitudinal momentum fraction x and specified polarization in fast moving hadron.



GPDs : interference between partons with $x+\xi$ and $x-\xi$, interrelating longitudinal momentum & transverse spatial structure of partons within fast moving hadron.



A special kinematic regime is probed in Deep Exclusive Meson Production, where the initial hadron emits $q\bar{q}$ or gg pair.



- GPDs determined in this regime carry information about $q\bar{q}$ and gg -components in the hadron wavefunction.
- Because quark helicity is conserved in the hard scattering regime, the produced meson acts as helicity filter.

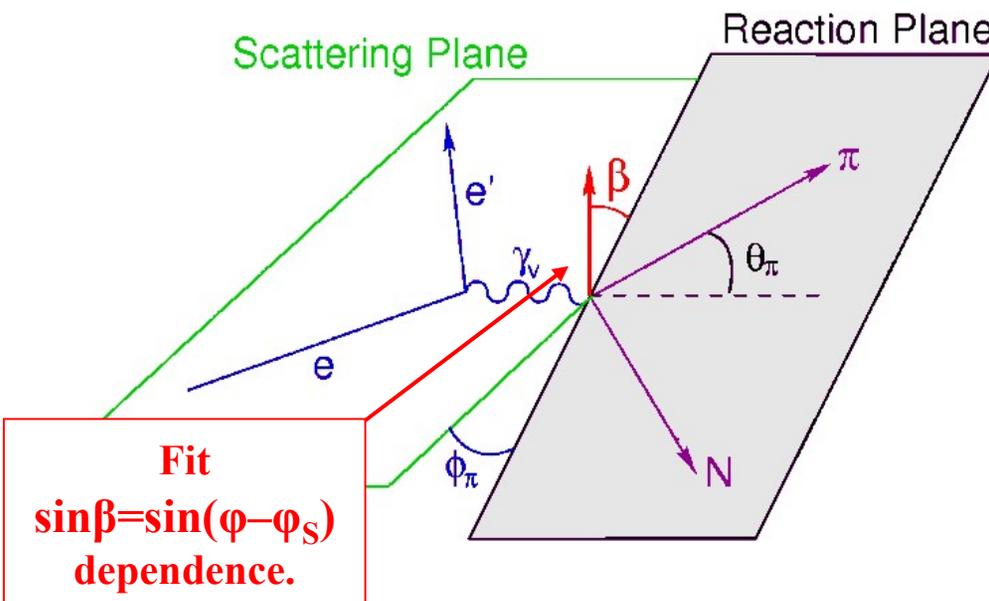
$\tilde{H} \tilde{E}$

- Pseudoscalar mesons \rightarrow

Exclusive π^- from Transversely Polarized Neutron

The most sensitive observable to probe \tilde{E} is the transverse target single-spin asymmetry in exclusive π production:

$$A_L^\perp = \frac{\sqrt{-t'}}{m_p} \frac{\xi \sqrt{1 - \xi^2} \text{Im}(\tilde{E}^* \tilde{H})}{(1 - \xi^2) \tilde{H}^2 - \frac{t\xi^2}{4m_p} \tilde{E}^2 - 2\xi^2 \text{Re}(\tilde{E}^* \tilde{H})}$$



$$A_\perp = \frac{\int_0^\pi d\beta \frac{d\sigma_L^{\pi^-}}{d\beta} - \int_\pi^{2\pi} d\beta \frac{d\sigma_L^{\pi^-}}{d\beta}}{\int_0^{2\pi} d\beta \frac{d\sigma_L^{\pi^-}}{d\beta}}$$

$d\sigma_L^{\pi^-}$ → exclusive cross section for longitudinal γ^*

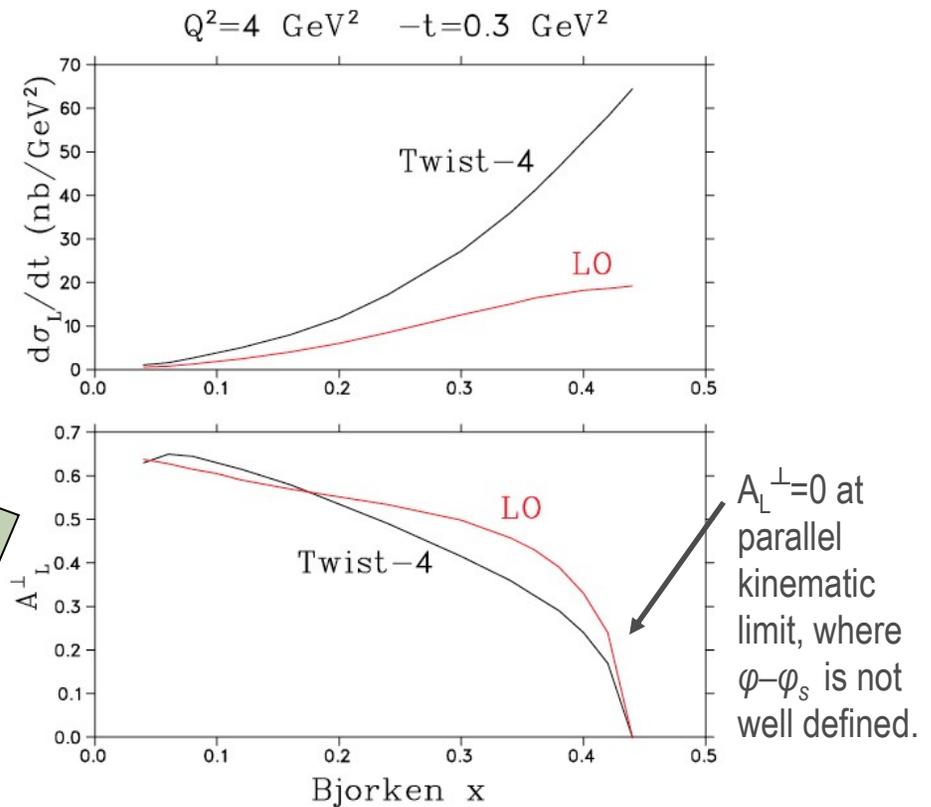
$\beta = \varphi - \varphi_S$ → angle between polarized target and reaction plane

These experimental measurements can provide new nucleon structure information unlikely to be available from any other source.

GPD information in A_L^\perp may be particularly clean

- A_L^\perp is expected to display precocious factorization at only $Q^2 \sim 2-4 \text{ GeV}^2$:

- At $Q^2 = 10 \text{ GeV}^2$, Twist-4 effects can be large, but cancel in A_L^\perp (Belitsky & Müller PLB 513(2001)349).
- At $Q^2 = 4 \text{ GeV}^2$, higher twist effects even larger in σ_L , but still cancel in the asymmetry (CIPANP 2003).



This relatively low value of Q^2 for the expected onset of precocious scaling is important, because it is experimentally accessible at JLab 12 GeV.

Transverse Target Single Spin Asymmetry in DEMP

Unpolarized Cross section

$$2\pi \frac{d^2 \sigma_{UU}}{dtd\phi} = \varepsilon \frac{d\sigma_L}{dt} + \frac{d\sigma_T}{dt} + \sqrt{2\varepsilon(\varepsilon+1)} \frac{d\sigma_{LT}}{dt} \cos \phi + \varepsilon \frac{d\sigma_{TT}}{dt} \cos 2\phi$$

Transversely polarized cross section has additional components

$$\frac{d^3 \sigma_{UT}}{dtd\phi d\phi_s} = - \frac{P_{\perp} \cos \theta_q}{\sqrt{1 - \sin^2 \theta_q \sin^2 \phi_s}}$$

Gives rise to Asymmetry Moments

$$A(\phi, \phi_s) = \frac{d^3 \sigma_{UT}(\phi, \phi_s)}{d^2 \sigma_{UU}(\phi)}$$

$$= - \sum_k A_{UT}^{\sin(\mu\phi + \lambda\phi_s)_k} \sin(\mu\phi + \lambda\phi_s)_k$$

$$\left(\begin{aligned} & \sin \beta \operatorname{Im}(d\sigma_{++}^{+-} + \varepsilon d\sigma_{00}^{+-}) \\ & + \sin \phi \sqrt{\varepsilon(1+\varepsilon)} \operatorname{Im}(d\sigma_{+0}^{+-}) \\ & + \sin(\phi + \phi_s) \frac{\varepsilon}{2} \operatorname{Im}(d\sigma_{+-}^{+-}) \\ & + \sin(2\phi - \phi_s) \sqrt{\varepsilon(1+\varepsilon)} \operatorname{Im}(d\sigma_{+0}^{-+}) \\ & + \sin(3\phi - \phi_s) \frac{\varepsilon}{2} \operatorname{Im}(d\sigma_{+-}^{-+}) \end{aligned} \right)$$

$\sigma_{mn}^{ij} \rightarrow$ nucleon polarizations $ij = (+1/2, -1/2)$
photon polarizations $mn = (-1, 0, +1)$

Unseparated $\sin\beta = \sin(\phi - \phi_s)$ Asymmetry Moment

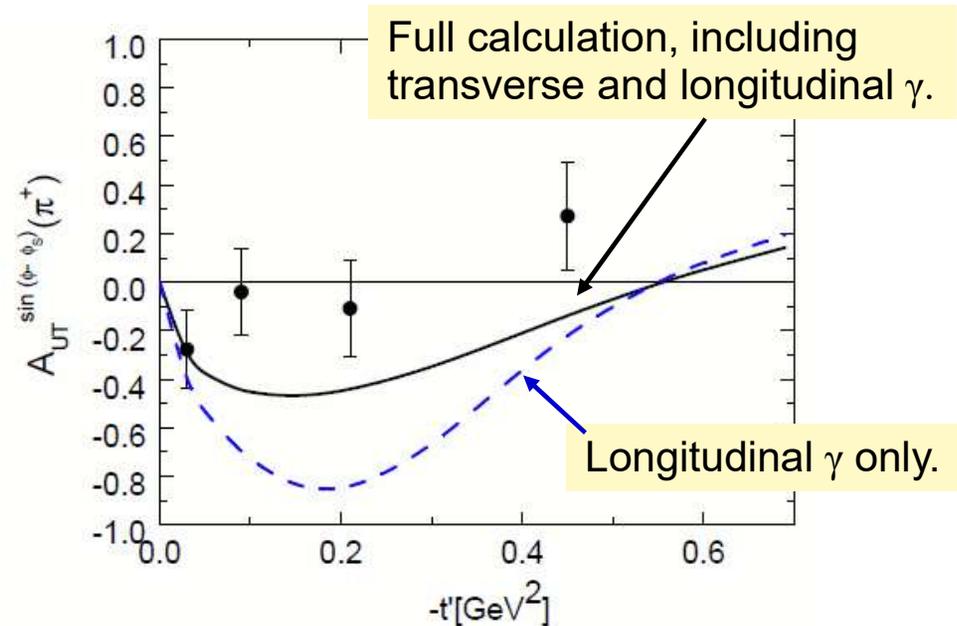
$$A_{UT}^{\sin(\phi - \phi_s)} \sim \frac{d\sigma_{00}^{+-}}{d\sigma_L \binom{++}{00}} \sim \frac{\operatorname{Im}(\tilde{E}^* \tilde{H})}{|\tilde{E}|^2} \text{ where } \tilde{E} \gg \tilde{H}$$

Ref: M. Diehl, S. Sapeta,
Eur.Phys.J. C41(2005)515.

Note: Trento convention used for rest of talk

HERMES $\sin(\varphi-\varphi_S)$ Asymmetry Moment

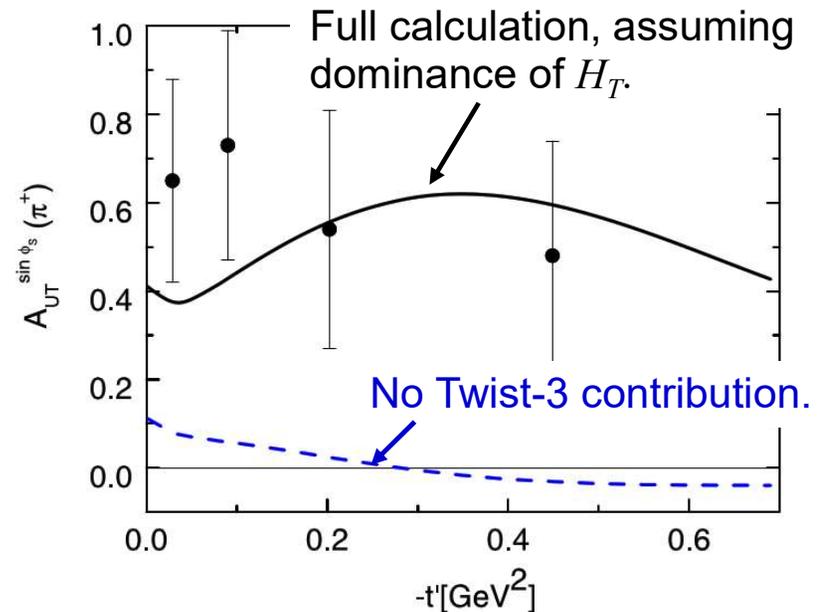
- Exclusive π^+ production by scattering 27.6 GeV positrons or electrons from transverse polarized ^1H [PL B682(2010)345].
- Analyzed in terms of 6 Fourier amplitudes for φ_π, φ_S .
- $\langle x_B \rangle = 0.13$, $\langle Q^2 \rangle = 2.38 \text{ GeV}^2$, $\langle -t \rangle = 0.46 \text{ GeV}^2$.



- **Since there is no L/T separation, $A_{UT}^{\sin(\varphi-\varphi_S)}$ is diluted by the ratio of the longitudinal cross section to the unseparated cross section.**
- Goloskokov and Kroll indicate the HERMES results have significant contributions from transverse photons, as well as from L and T interferences [Eur Phys.J. C65(2010)137].
- **Because no factorization theorems exist for exclusive π production by transverse photons, these data cannot be trivially interpreted in terms of GPDs.**

HERMES $\sin(\varphi_s)$ Asymmetry Moment

- While most of the theoretical interest and the primary motivation of our experiment is the $\sin(\varphi-\varphi_s)$ asymmetry moment, there is growing interest in the $\sin(\varphi_s)$ moment, which may be interpretable in terms of the transversity GPDs.



- In contrast to the $\sin(\varphi-\varphi_s)$ modulation, which has contributions from LL and TT interferences, the $\sin(\varphi_s)$ modulation measures only the LT interference.
- **The HERMES $\sin(\varphi_s)$ modulation is large and nonzero at $-t'=0$, giving the first clear signal for strong contributions from transversely polarized photons at rather large values of W and Q^2 .**
- **Goloskokov and Kroll calculation [Eur.Phys.J. C65(2010)137] assumes the transversity GPD H_T dominates and that the other three can be neglected.**

Measure DEMP with SoLID – Polarized ^3He

$\vec{n}(e, e' \pi^-)p$: with transversely polarized ^3He

Run in parallel with E12-10-006:

$E_0 = 11.0 \text{ GeV}$ (48 days)

Luminosity = $10^{36} \text{ cm}^{-2} \text{ s}^{-1}$ (per nucleon)

$$\langle A_{UT} \rangle = \frac{1}{P \cdot \eta_n \cdot f} \frac{N^+ - N^-}{N^+ + N^-}$$

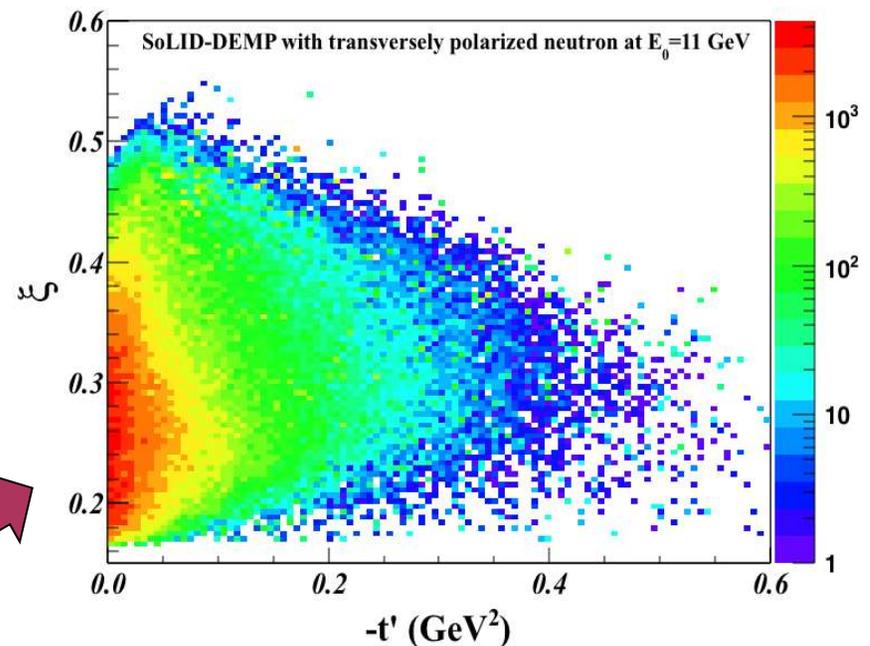
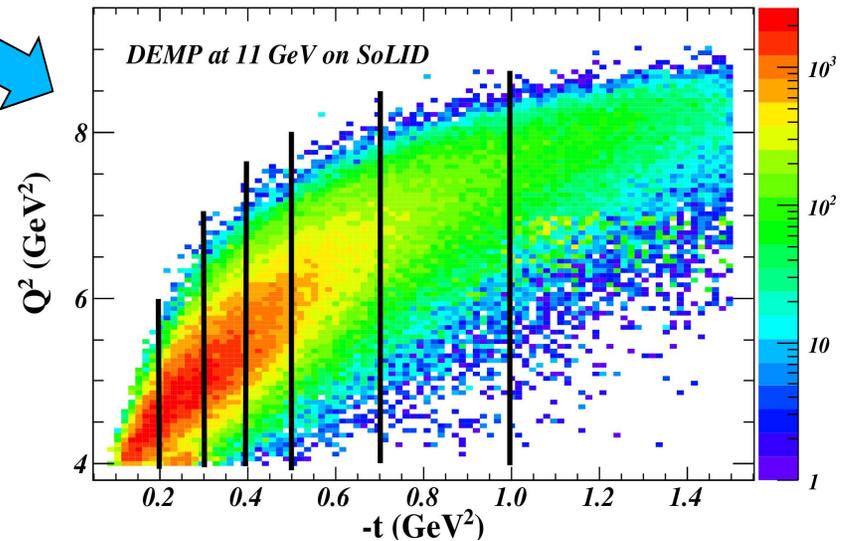
Large-Angle :
Detect electrons and protons

Forward-Angle :
Detect electrons
pions & protons

Online Coincidence Trigger: Electron Trigger + Hadron Trigger
Offline Analysis: Identify protons and form triple-coincidence

E12-10-006B Kinematic Coverage and Binning

- We binned the simulated data in 7 t -bins.
- In actual data analysis, we will consider alternate binning.
- All JLab data cover a range of Q^2 , x_{Bj} values.
 - x_{Bj} fixes the skewness (ξ).
 - Q^2 and x_{Bj} are correlated. In fact, we have an almost linear dependence of Q^2 on x_{Bj} .
- HERMES and COMPASS experiments are restricted kinematically to very small skewness ($\xi < 0.1$).
- With SoLID, we can measure the skewness dependence of the relevant GPDs over a fairly large range of ξ .



Opportunities with higher E_{beam} & SoLID



- Investigated some kinematics to see effect of a higher beam energy on the SoLID experiment
- For good π^\pm/K^\pm separation, current design (with MRPC timing resolution of 20 ps) will work to 7 GeV/c
 - SoLID would need further-improved timing resolution or other method to allow good PID at higher momenta
- Restricting to 7 GeV/c, $n(e, e'\pi^-)p$ count rate with 15 GeV beam at $Q^2=6.0$, $W=3.0$, $-t_{\min}=0.32$, $x=0.42$, would increase by roughly an order of magnitude, due to larger available virtual photon flux
 - Dramatic effect: allow finer binning of data, enabling the skewness–dependence of the single spin asymmetries to be studied in much greater detail
- If can achieve good PID to ~ 9 GeV/c, then $Q^2=10$, $W=2.8$, $x=0.59$, $-t_{\min}=0.67$ data can be acquired at 17 GeV

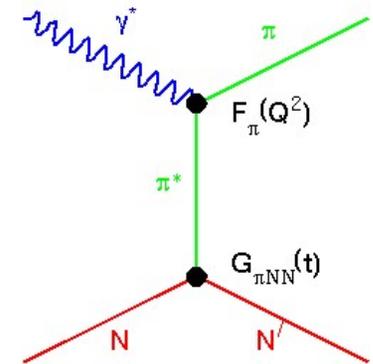
DEMP Opportunities in Hall C

1) Determine the Pion Form Factor to high Q^2 :

- Indirectly measure F_π using the “pion cloud” of the proton via $p(e, e'\pi^+)n$

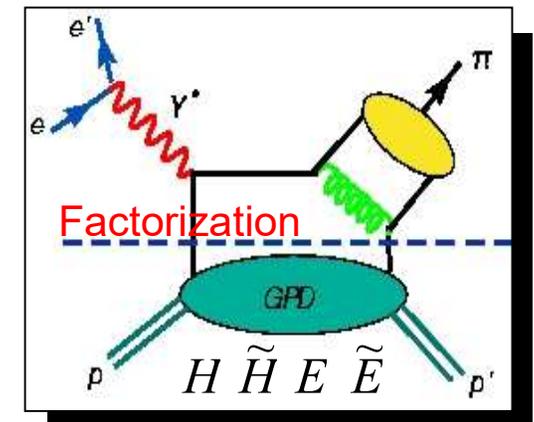
$$|p\rangle = |p\rangle_0 + |n\pi^+\rangle + \dots$$

- The pion form factor is a key QCD observable.**
- The experiment should obtain high quality F_π over a broad Q^2 range. Rated “high impact” by PAC.



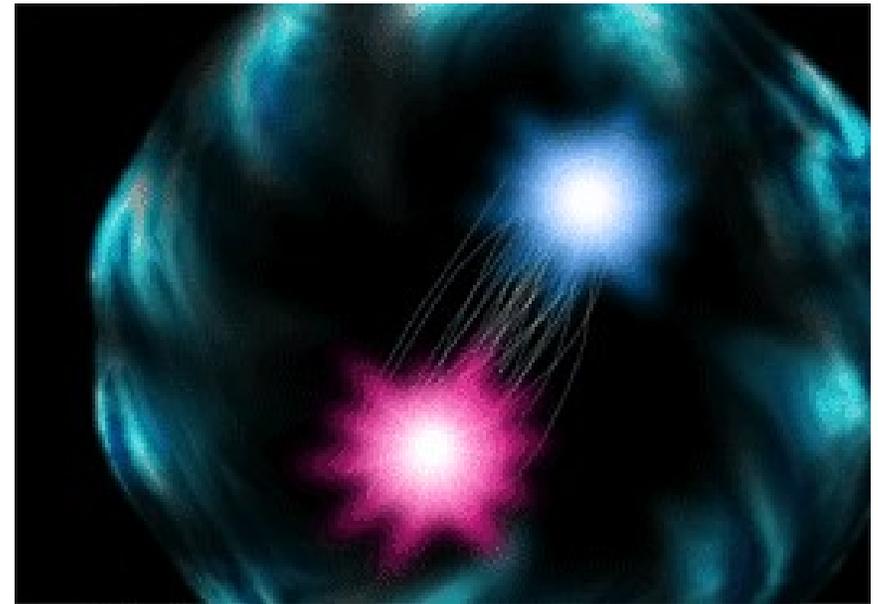
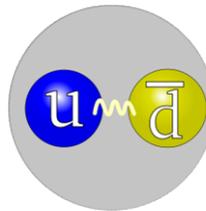
2) Study the Hard-Soft Factorization Regime:

- Need to determine region of validity of hard-exclusive reaction mechanism, as GPDs can only be extracted where factorization applies.**
- Separated $p(e, e'\pi^+)n$ cross sections vs. Q^2 at fixed x to investigate reaction mechanism towards 3D imaging studies.
- Perform exclusive π^-/π^+ ratios from ^2H , yielding insight to hard–soft factorization at modest Q^2 .



Charged Pion Form Factor

- The pion is attractive as a QCD laboratory:
 - Simple, 2 quark system
- The pion is the “positronium atom” of QCD, its form factor is a test case for most model calculations
- The important question to answer is: What is the structure of the π^+ at all Q^2 ?
- A program of study unique to Jefferson Lab Hall C (until the completion of the EIC)



Pion's structure is determined by two valence quarks, and the quark-gluon sea.

Measurement of π^+ Form Factor – Larger Q^2

At larger Q^2 , F_π must be measured indirectly using the “pion cloud” of the proton via pion electroproduction $p(e, e'\pi^+)n$

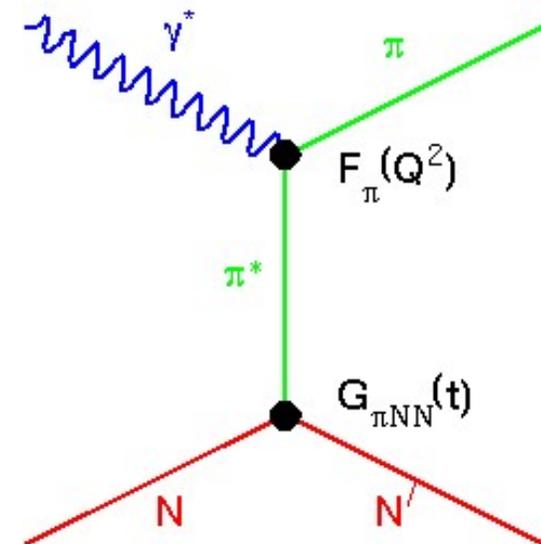
$$|p\rangle = |p\rangle_0 + |n\pi^+\rangle + \dots$$

- At small $-t$, the pion pole process dominates the longitudinal cross section, σ_L
- In Born term model, F_π^2 appears as,

$$\frac{d\sigma_L}{dt} \propto \frac{-tQ^2}{(t - m_\pi^2)} g_{\pi NN}^2(t) F_\pi^2(Q^2, t)$$

Drawbacks of this technique

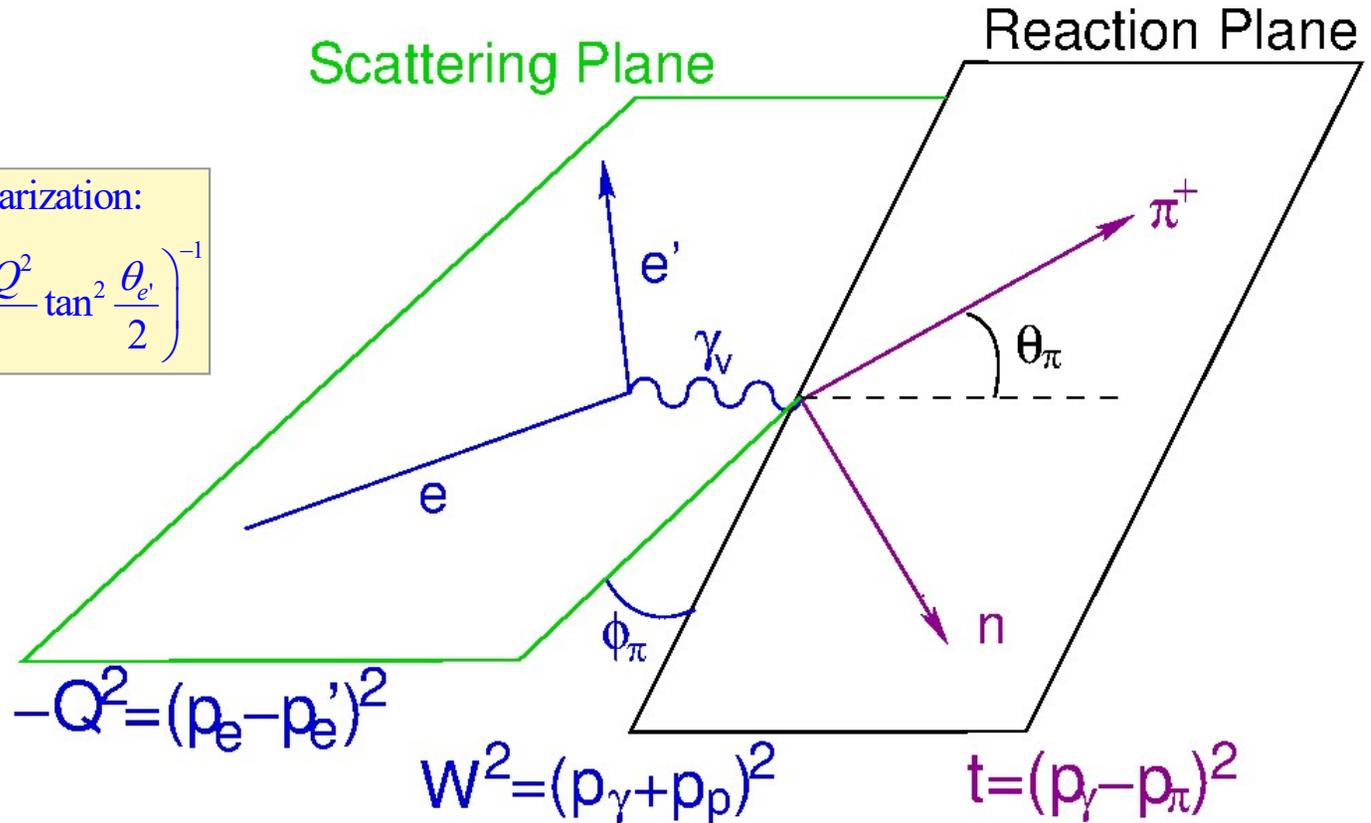
1. Isolating σ_L experimentally challenging
2. Theoretical uncertainty in form factor extraction.



$$2\pi \frac{d^2\sigma}{dt d\phi} = \varepsilon \frac{d\sigma_L}{dt} + \frac{d\sigma_T}{dt} + \sqrt{2\varepsilon(\varepsilon+1)} \frac{d\sigma_{LT}}{dt} \cos\phi + \varepsilon \frac{d\sigma_{TT}}{dt} \cos 2\phi$$

Virtual-photon polarization:

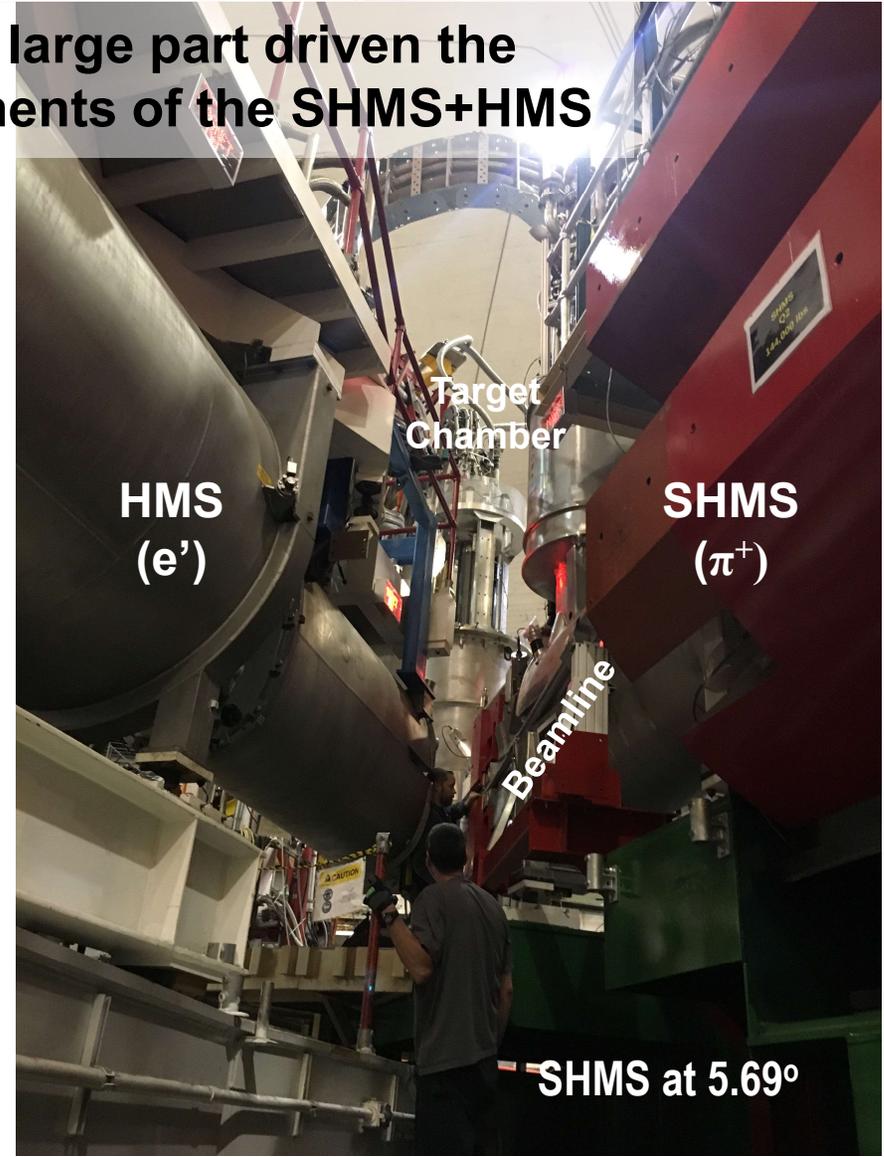
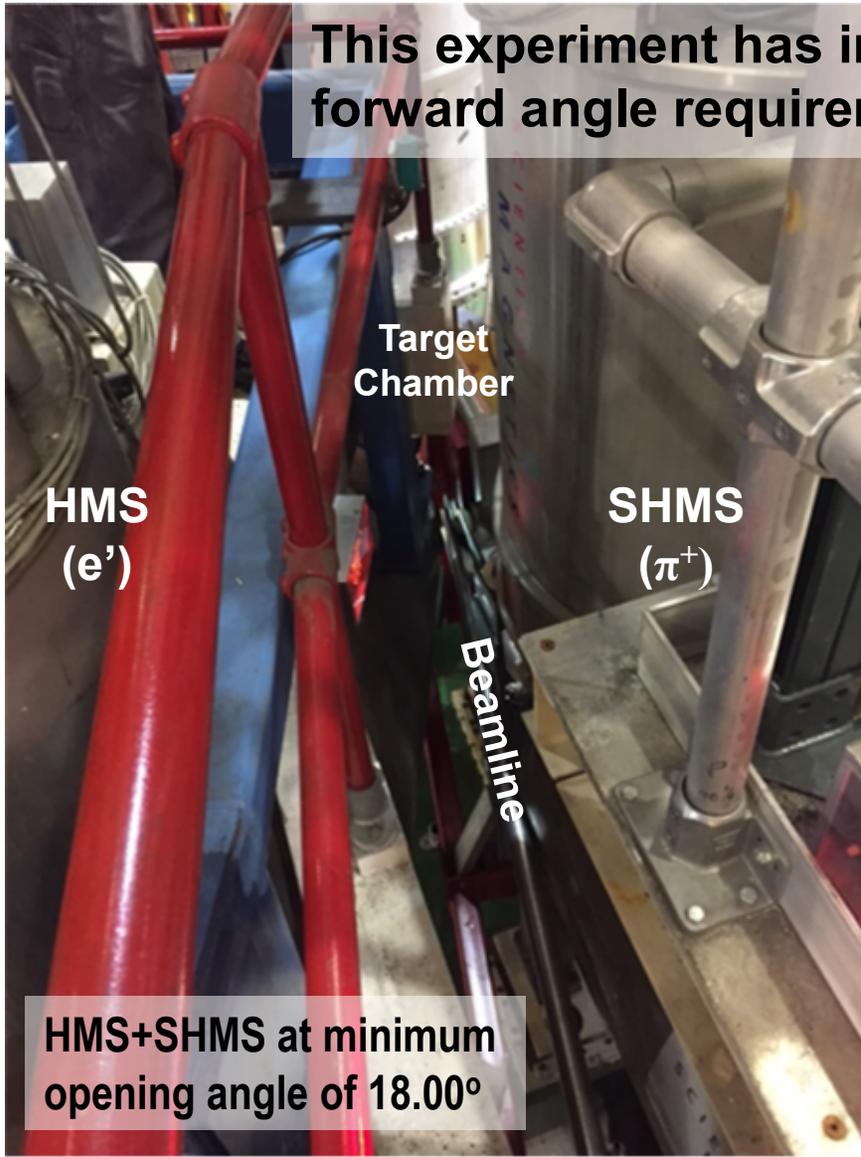
$$\varepsilon = \left(1 + 2 \frac{(E_e - E_{e'})^2 + Q^2}{Q^2} \tan^2 \frac{\theta_{e'}}{2} \right)^{-1}$$



- L-T separation required to separate σ_L from σ_T .
- Need to take data at smallest available $-t$, so σ_L has maximum contribution from the π^+ pole.

HMS and SHMS during Data Taking

This experiment has in large part driven the forward angle requirements of the SHMS+HMS



Extract $F_\pi(Q^2)$ from JLab σ_L data

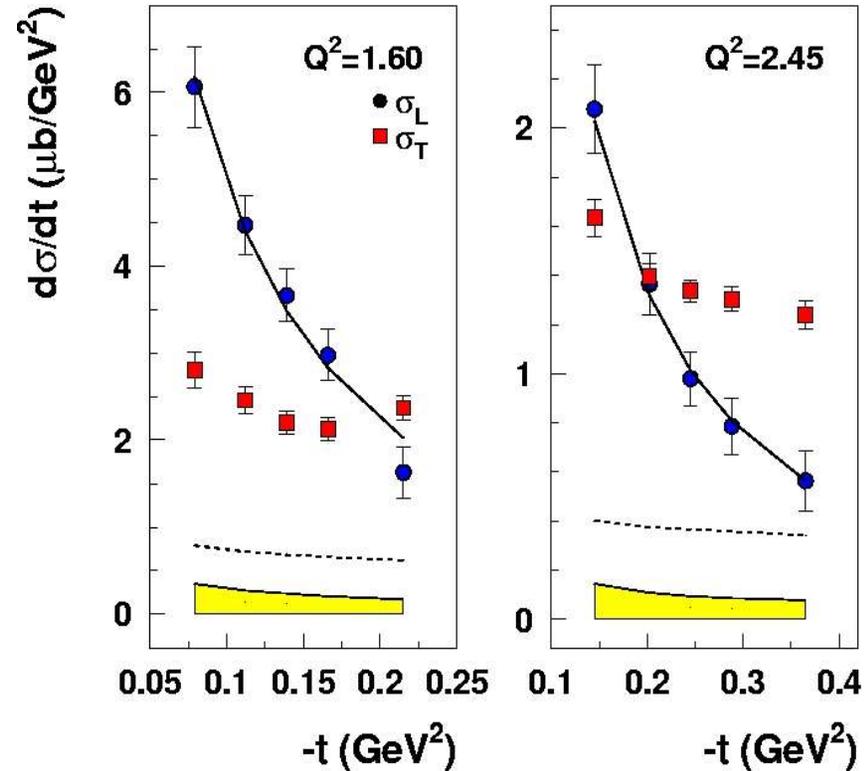
Model incorporates π^+ production mechanism and spectator neutron effects:

VGL Regge Model:

- Feynman propagator $\left(\frac{1}{t - m_\pi^2}\right)$ replaced by π and ρ Regge propagators.
 - Represents the exchange of a series of particles, compared to a single particle.
- Free parameters: $\Lambda_\pi, \Lambda_\rho$ (trajectory cutoff).
[Vanderhaeghen, Guidal, Laget, PRC 57(1998)1454]
- At small $-t$, σ_L only sensitive to F_π

$$F_\pi = \frac{1}{1 + Q^2 / \Lambda_\pi^2}$$

Fit to σ_L to model gives F_π at each Q^2



Error bars indicate statistical and random (pt-pt) systematic uncertainties in quadrature.
Yellow band indicates the correlated (scale) and partly correlated (t-corr) systematic uncertainties.

$$\Lambda_\pi^2 = 0.513, 0.491 \text{ GeV}^2, \Lambda_\rho^2 = 1.7 \text{ GeV}^2.$$

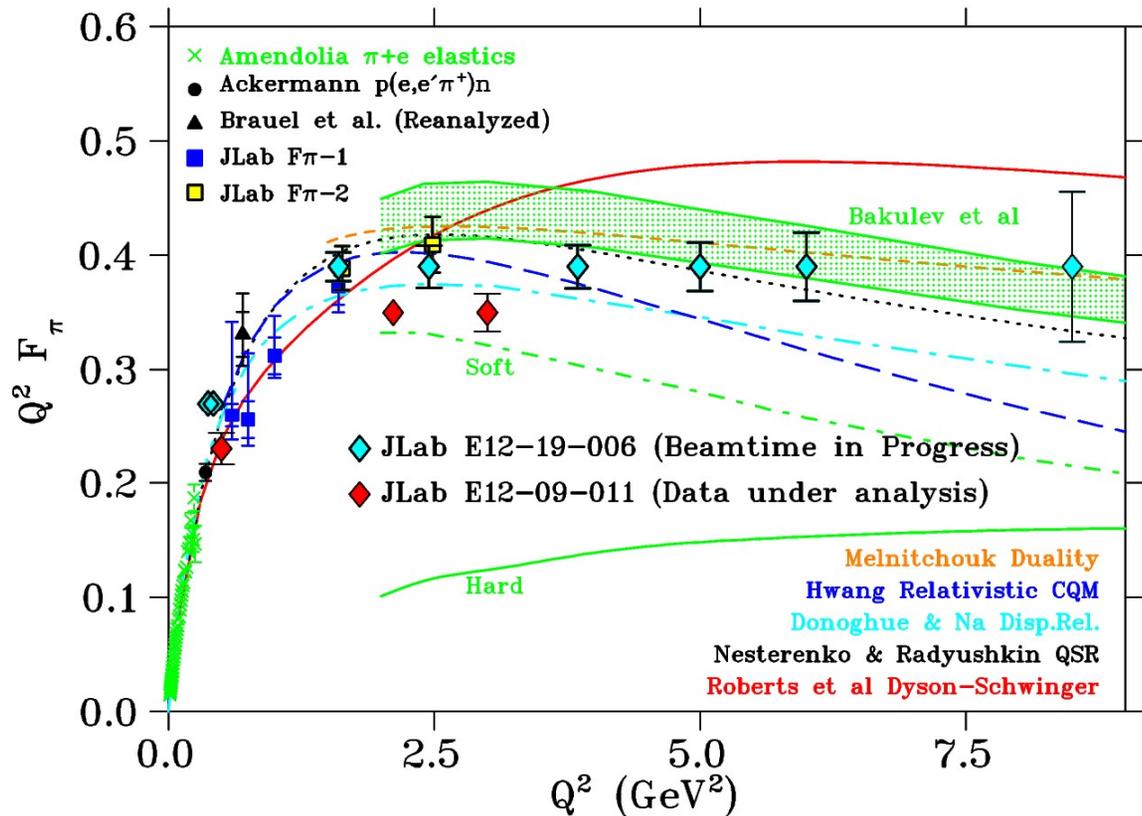
F π -2 data: T. Horn et al., PRL 97(2006)192001.

Current and Projected F_π Data

SHMS+HMS will allow measurement of F_π to much higher Q^2 .

No other facility worldwide can perform this measurement.

The pion form factor is the clearest test case for studies of QCD's transition from non-perturbative to perturbative regions.



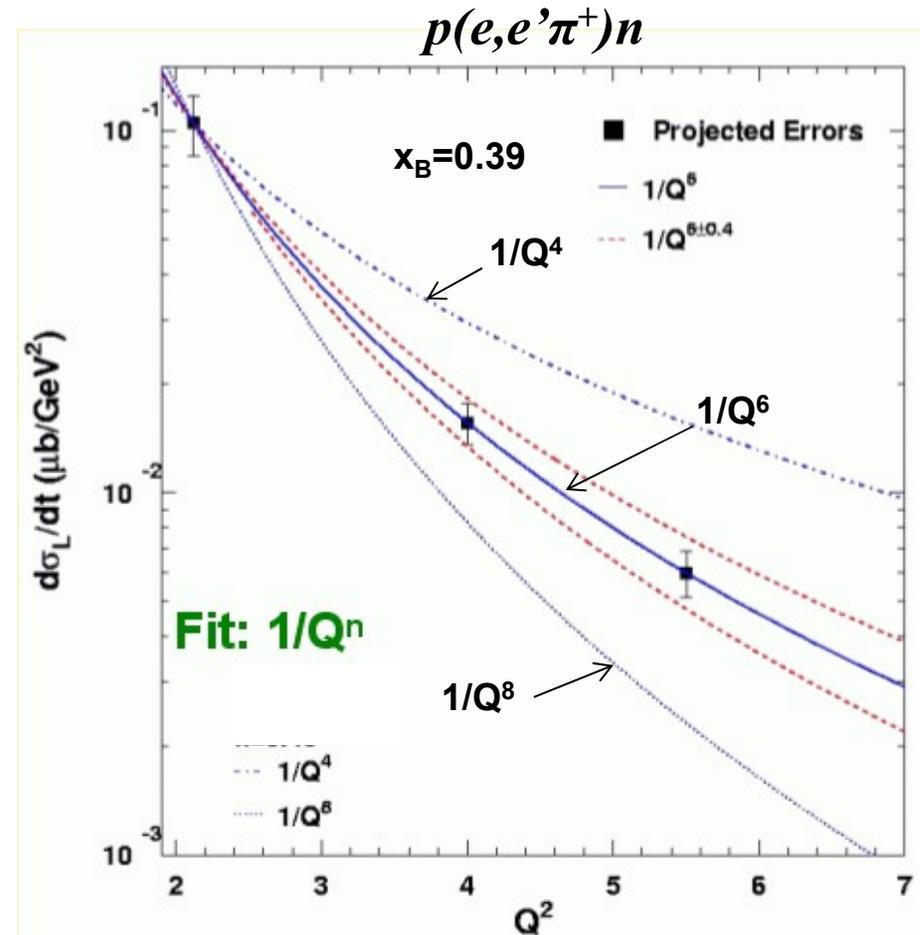
The $\sim 17\%$ measurement of F_π at $Q^2=8.5 \text{ GeV}^2$ is at higher $-t_{min}=0.45 \text{ GeV}^2$

E12-19-006: D. Gaskell, T. Horn and G. Huber, spokespersons

$p(e, e' \pi^+) n$ Q^{-n} Hard–Soft Factorization Test

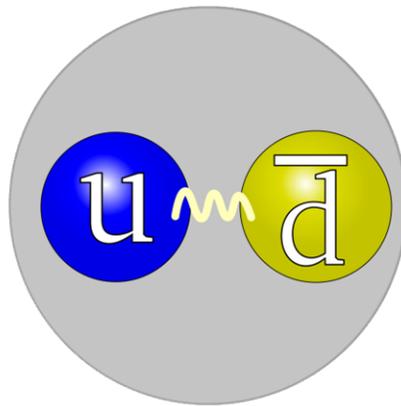
- QCD counting rules predict the Q^{-n} dependence of $p(e, e' \pi^+) n$ cross sections in Hard Scattering Regime:
 - σ_L scales to leading order as Q^{-6} .
 - σ_T scales as Q^{-8} .
 - As Q^2 becomes large: $\sigma_L \gg \sigma_T$.

x	Q^2 (GeV ²)	W (GeV)	$-t_{min}$ (GeV/c) ²
0.31	1.45–3.65	2.02–3.07	0.12
0.39	2.12–6.0	2.05–3.19	0.21
0.55	3.85–8.5	2.02–2.79	0.55

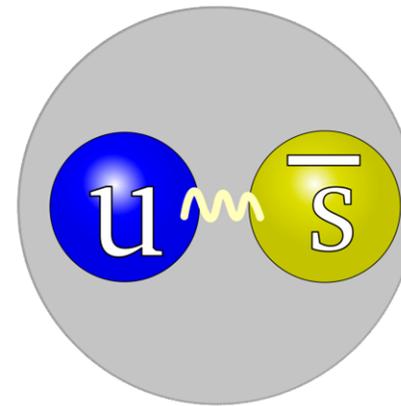


- **Experimental validation of onset of hard scattering regime is essential for reliable interpretation of JLab GPD program results.**
 - If σ_L becomes large, it would allow leading twist GPDs to be studied.
 - If σ_T remains large, it could allow for transversity GPD studies.

The Charged Kaon – a 2nd QCD test case



π^+



K^+

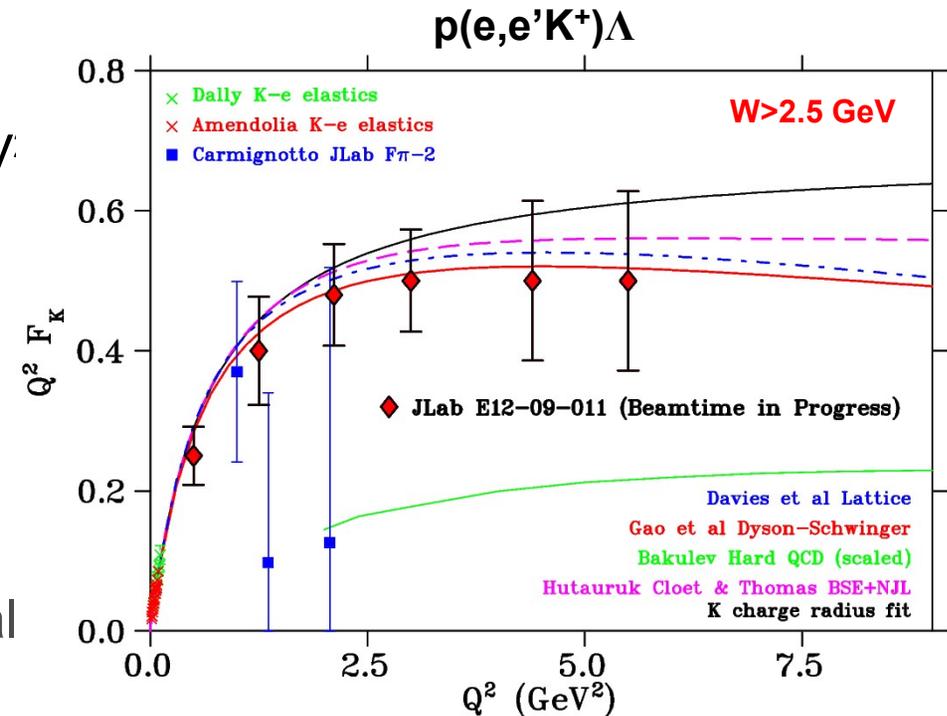
- In the hard scattering limit, pQCD predicts that the π^+ and K^+ form factors will behave similarly

$$\frac{F_K(Q^2)}{F_\pi(Q^2)} \xrightarrow{Q^2 \rightarrow \infty} \frac{f_K^2}{f_\pi^2}$$

- It is important to compare the magnitudes and Q^2 -dependences of both form factors.

Projected Uncertainties for K^+ Form Factor

- First measurement of F_K well above the resonance region.
- Measure form factor to $Q^2=3 \text{ GeV}^2$ with good overlap with elastic scattering data.
 - Limited by $-t < 0.2 \text{ GeV}^2$ requirement to minimize non-pole contributions.
- Data will provide an important second $q\bar{q}$ system for theoretical models, this time involving a strange quark.



E12-09-011: T. Horn, G. Huber and P. Markowitz, spokespersons

Opportunities with higher E_{beam} & Hall C

- 7.2 GeV/c HMS & 11.0 GeV/c SHMS allow a lot of kinematic flexibility, **with no upgrades**
 - Maximum beam energy constrained by sum of HMS+SHMS maximum momenta
- L/T-separations with good $\Delta\varepsilon > 0.4$ extend region of high quality σ_L measurements to $Q^2=10$, and data at larger $-t_{\text{min}}$ (larger F_π extraction uncertainties) to $Q^2=11.5$
- Since quality L/T-separations are impossible at the EIC (can't access $\varepsilon < 0.95$) this extension of L/T-separated data would considerably increase the overlap in F_π data sets between JLab and EIC

$p(e, e'\pi^+)n$ Kinematics					
E_{beam}	$\theta_{\text{HMS}} (e')$	$P_{\text{HMS}} (e')$	$\theta_{\text{SHMS}} (\pi^+)$	$P_{\text{SHMS}} (\pi^+)$	Time FOM
$Q^2=8.5 \quad W=3.64 \quad -t_{\text{min}}=0.24 \quad \Delta\varepsilon=0.49$					
13.0	34.30	1.88	5.29	10.99	64.7
18.0	15.05	6.88	8.94	10.99	2.2
$Q^2=10.0 \quad W=3.44 \quad -t_{\text{min}}=0.37 \quad \Delta\varepsilon=0.40$					
13.0	37.78	1.83	5.56	10.97	122.7
18.0	16.39	6.83	9.57	10.97	4.5
$Q^2=11.5 \quad W=3.23 \quad -t_{\text{min}}=0.55 \quad \Delta\varepsilon=0.29$					
14.0	31.53	2.78	7.13	10.93	79.6
18.0	17.66	6.78	10.11	10.93	8.7

$p(e, e'K^+)A$ kinematic reach would depend on good K^+/π^+ separation in SHMS at high momenta, and likely require some detector upgrades